ECS 235B Module 38 Generalized Noninterference

Policies Changing Over Time

- Problem: previous analysis assumes static system
  - In real life, ACM changes as system commands issued
- Example: $w \in C^*$ leads to current state
  - *cando*(*w*, *s*, *z*) holds if *s* can execute *z* in current state
  - Condition noninterference on *cando*
  - If $\neg$*cando*(*w*, Lara, "write *f*"), Lara can't interfere with any other user by writing file *f*

Generalize Noninterference

- $G \subseteq S$ set of subjects, $A \subseteq$ Z set of commands, p predicate over elements of C^*
- $c_s = (c_1, \ldots, c_n) \in C^*$
- $\pi''(\nu) = \nu$
- $\pi''((c_1, \ldots, c_n)) = (c_1', \ldots, c_n')$, where
  - $c_i' = \nu$ if $p(c_1', \ldots, c_{i-1}')$ and $c_i = (s, z)$ with $s \in G$ and $z \in A$
  - $c_i' = c_i$ otherwise

Intuition

- $\pi''(c_s) = c_s$
- But if *p* holds, and element of c_s involves both command in *A* and subject in *G*, replace corresponding element of c_s with empty command ν
  - Just like deleting entries from c_s as $\pi_{A,G}$ does earlier

Noninterference

- $G, G' \subseteq S$ sets of subjects, $A \subseteq Z$ set of commands, p predicate over C^*
- Users in G executing commands in A are *noninterfering with users in* G' under condition p iff, for all $c_s \in C^*$ and for all $s \in G'$, $proj(s, c_s, \sigma_i) = proj(s, \pi''(c_s), \sigma_i)$
  - Written $A,G :| G'$ **if** p

Example

- From earlier one, simple security policy based on noninterference:

$$\forall(s \in S)\ \forall(z \in Z)\ [\ \{z\}, \{s\} :|\ S\ \textbf{if}\ \neg cando(w, s, z)\ ]$$

- If subject can't execute command (the $\neg cando$ part) in any state, subject can't use that command to interfere with another subject

Another Example

- Consider system in which rights can be passed
  - *pass*(*s*, *z*) gives *s* right to execute *z*
  - $w_n = v_1, \ldots, v_n$ sequence of $v_i \in C^*$
  - $prev(w_n) = w_{n-1}$; $last(w_n) = v_n$

Policy

- No subject *s* can use *z* to interfere if, in previous state, *s* did not have right to *z*, and no subject gave it to *s*

  $\{ z \}, \{ s \} :| S$

  if $[\neg cando(prev(w), s, z) \wedge [cando(prev(w), s', pass(s, z)) \Rightarrow$

  $\neg last(w) = (s', pass(s, z))]]$

Effect

- Suppose $s_1 \in S$ can execute $pass(s_2, z)$
- For all $w \in C^*$, $cando(w, s_1, pass(s_2, z))$ holds
- Initially, $cando(\nu, s_2, z)$ false
- Let $z' \in Z$ be such that (s_3, z') noninterfering with (s_2, z)
  - So for each w_n with $v_n = (s_3, z')$, $cando(w_n, s_2, z) = cando(w_{n-1}, s_2, z)$

Effect

- Then policy says for all $s \in S$

  $proj(s, ((s_2, z), (s_1, pass(s_2, z)), (s_3, z'), (s_2, z)), \sigma_i) =$

  $proj(s, ((s_1, pass(s_2, z)), (s_3, z'), (s_2, z)), \sigma_i)$

- So s_2's first execution of z does not affect any subject's observation of system